# Reaction Pathways from Structural Data: Dynamic Stereochemistry of Zinc(II) Compounds 

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#### Abstract

The structure correlation principle has been applied to the crystal structures of 33 different five-coordinate zinc complexes in order to map the mechanism for a bimolecular ligand substitution reaction at tetrahedral zinc centres. These centres are shown to undergo an association reaction leading to a slightly distorted trigonal bipyramidal (t.b.p.) intermediate, with an axial-axial angle of $163^{\circ}$ and the axial bonds, to the leaving group and the nucleophile, lengthened by 26 pm over their standard covalent bond length. This intermediate may undergo axial dissociation, or it may pseudorotate via the Berry mechanism into a square pyramidal (s.p.) conformation. This latter branch of the reaction coordinate is shown to be a cul-de-sac in terms of dissociation of the intermediate, since t.b.p. conformation seems to be a prerequisite for axial departure of the leaving group. The reaction coordinates thus derived are compared to, and supported by, several in vitro studies.


## Introduction

The kinetics of substitution reactions of tetrahedral metal complexes have evoked some interest, but their mechanism has been little studied. Basolo \& Pearson (1967), in their authoritative work on inorganic reaction mechanisms, state 'Although information on substitution reactions of tetrahedral metal complexes is conspicuous largely because of its absence, the same is not true of tetrahedral compounds of non-transition elements.' In this paper we analyse structural changes at four- and five-coordinate zinc(II) compounds and interpret the results as prerequisites for an understanding of the dynamics of nucleophilic substitution and intramolecular Berry rearrangement of zinc(II) complexes. We use the technique of structure correlation analysis introduced by Bürgi (1973) and Dunitz (1979). To apply this method, use is made of the accurate molecular geometry derived by X-ray diffraction studies on a series of structurally related molecules. If a correlation between certain molecular parameters can be found, then this is regarded as

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mapping a minimum-energy path in the Born-Oppenheimer energy surface (Bürgi, Dunitz, Lehn \& Wipff, 1974). With this technique, the mechanisms of various reactions have been studied, such as ligand exchange in Cd compounds (Bürgi, 1973), nucleophilic addition to carbonyl groups (Bürgi, Dunitz \& Shefter, 1974), $S_{N} 2$ and $S_{N} 3$ substitution at tin(IV) (Britton \& Dunitz, 1981), the stereoisomerization path for triphenylphosphine oxide (Bye, Schweizer \& Dunitz, 1982), interaction of nucleophiles with quaternary phosphonium ions (Archer, Modro \& Nassimbeni, 1981), and various other systems.

## Data search and structural analysis

The Cambridge Crystallographic Data Centre (CCDC) file contains information on the space group and positional atomic coordinates for all organic and organometallic crystal structures published (Kennard, Watson, Allen, Motherwell, Town \& Rodgers, 1975). A search of the CCDC file (January 1983 edition) for Zn -containing compounds revealed 379 entries. Of these, 53 were considered five-coordinate, with the ligand atoms at a distance of not more than $100 \mathrm{pm}(100 \mathrm{pm} \equiv 1 \AA)$ in excess of the sum of the covalent radii of the relevant atoms. Nineteen structures were considered sterically too constrained (ligand atoms part of a porphyrin or similar system) and were rejected. The remaining 34 arrangements correspond to 33 different compounds, one being a dimer with two crystallographically independent Zn atoms. In all cases the Zn was considered to be in the + II oxidation state.

Structural formulae of the compounds are shown in Fig. 1. An initial examination of the structures showed a large variation in Zn -ligand distances and conformations ranging from trigonal bipyramidal (t.b.p.) to square pyramidal (s.p.). The analysis was carried out bearing in mind the reaction paths to be probed: nucleophilic substitution at tetrahedral Zn and possible pseudorotation.

Molecular geometries were analysed as shown in Fig. 2. In order to put all distances on a common scale, the sums of the respective covalent radii of Zn
and the ligand atoms were subtracted from the actual interatomic distances yielding distance increments $d_{1}$, $d_{2}, d_{3}, d_{4}$ and $d_{5}$. Ligand atoms $D_{1}$ and $D_{5}$ were defined as those containing the largest bond angle $\theta_{15}$, with $d_{5}>d_{1}$. Donor atoms $D_{2}$ and $D_{4}$ were defined by the next largest angle $\theta_{24}$, thus in turn defining $D_{3}$. Table 1 lists these increments and the atom types, while Table 2 shows the corresponding interatomic angles.

In our model we regard the attacking nucleophile as the donor atom furthest removed from Zn and, by analogy with the hypothesized t.b.p. intermediate in the $S_{N} 2$ mechanism at tetrahedral carbon, the leaving group is expected to lie at $180^{\circ}$ to this. Table 1 shows that $d_{5}>d_{1}>d_{2}, d_{3}, d_{4}$ in the majority of cases, with $D_{1}$ identified as a good leaving group, in agreement with the model.

Many of these five-coordinate structures have been imprecisely described as 'distorted square-pyramidal' or 'distorted trigonal-bipyramidal'. There is in fact a smooth transition from the t.b.p. to the s.p. conformation, as represented by the Berry mechanism in Fig. 3. In order to define rigorously the conformations of the compounds we employed the dihedral-angle method (Muetterties \& Guggenberger, 1974), previously used to describe cyclic phosphoranes (Holmes, 1979). This requires the calculation of the sum of the absolute changes in dihedral angles occurring in the transition from an ideal t.b.p. to an ideal s.p. structure. We have chosen the ideal s.p. as having apical-basal bond angles $\left(\theta_{31}, \theta_{32}, \theta_{34}, \theta_{35}\right)$ of $105^{\circ}$. This is the configuration obtained by placing Zn at the centre of mass of a $\mathrm{Zn} \dot{L}_{5}$ square pyramid, and is the same as that chosen by Holmes (1979). The

(1) $[28]$

(2) [37]

$\mathrm{X}=\mathrm{Cl}, \mathrm{Br}, \mathrm{NCS}$
(3), (7), (23) $[24,20,28]$

(4) [56]

(5) [26]

(6), (11) $[14,15]$



$\mathrm{R}=\mathrm{NMe}_{2}$. OEt
(13), (25) $[26,61]$ [62, 61, 59, 57, 58, 20, 61]

(17) [54]

(29) [90]

(30) [82]

(31) [98]

(32) [65]

(33) [74]

Fig. 1. Structural formulae of the compounds with sequential numbering and \% distortion t.b.p. $\rightarrow$ s.p. in square brackets.

Table 1. Atom types and distance increments $d(\mathrm{pm})$

|  | $D_{1}$ | $D_{2}$ | $D_{3}$ | $D_{4}$ | $D_{5}$ | $d_{1}$ | $d_{2}$ | $d_{3}$ | $d_{4}$ | $d_{5}$ | CCDC acronym* |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| (1) | 0 | $\bigcirc$ | $\bigcirc$ | $\bigcirc$ | 0 | 13 | 6 | 2 | 1 | 14 | ACR7NM |
| (2) | N | N | N | N | N | 14 | 9 | 7 | 7 | 24 | AEPYZN |
| (3) | Cl | N | N | N | N | 1 | 5 | 6 | 5 | 32 | AEZNPB |
| (4) | N | N | Br | Br | N | 23 | 8 | -1 | -2 | 23 | BPAZHZ |
| (5) | Cl | 0 | O | O | N | -3 | 15 | 4 | 13 | 14 | CEAMZN |
| (6) | N | 0 | N | 0 | N | 11 | -2 | 15 | -3 | 11 | CPZHZN |
| (7) | Br | N | N | N | N | 3 | 11 | 11 | 11 | 19 | DAEAZN |
| (8) | Se | Se | Se | Se | Se | 9 | -3 | 1 | -4 | 55 | ESECZN |
| (9) | S | S | S | S | S | 11 | -1 | 3 | -1 | 47 | IPTCZN |
| (10) | 0 | N | 0 | N | 0 | 12 | 3 | 1 | 8 | 16 | MCYSZN |
| (11) | N | 0 | N | 0 | N | 10 | -1 | -2 | 18 | 10 | MPZHZN |
| (12) | S | S | S | S | S | 8 | -2 | 2 | -4 | 69 | MTCAZN |
| (13) | S | S | N | S | S | 25 | -1 | 7 | -2 | 26 | MTCPZB |
| (14) | 0 | S | 0 | S | O | 8 | -4 | 15 | -4 | 21 | OXPTZN |
| (15) | 0 | S | 0 | S | 0 | 8 | -3 | 12 | -4 | 22 | OXPZND |
| (16) | S | S | S | S | S | 14 | -3 | 3 | -1 | 56 | PCDTZN10 |
| (17) | O | N | 0 | 0 | 0 | -3 | 0 | 2 | 3 | 45 | SALEZN |
| (18) | S | S | S | S | S | 9 | 0 | -1 | -1 | 61 | XMTCZN |
| (19) | S | S | S | S | S | 9 | 1 | 3 | -2 | 47 | ZETCAM |
| (20) | 0 | 0 | 0 | 0 | 0 | 3 | 0 | 4 | 8 | 13 | ZNACAT10 |
| (21a) | S | S | S | S | S | 6 | 0 | -4 | -1 | 80 | ZNIPXT |
| (21b) | S | S | S | S | S | 2 | -1 | -4 | 1 | 93 |  |
| (22) | O | N | N | 0 | O | 0 | 6 | 4 | 3 | 13 | ZNMSAL10 |
| (23) | N | N | N | N | N | 3 | 6 | 4 | 5 | 28 | ZNTATE10 |
| (24) | O | N | O | 0 | 0 | 16 | 2 | 1 | -1 | 22 | GLYZNS10 |
| (25) | S | S | N | S | S | 40 | -6 | 2 | -6 | 40 | EXAPYZ |
| (26) | N | Br | Br | N | S | 14 | -2 | -4 | 11 | 29 | MTPYMZ |
| (27) | S | S | 0 | N | N | 1 | 1 | 12 | 12 | 14 | BTCBZN |
| (28) | N | N | Cl | N | N | 18 | 20 | -3 | 18 | 19 | CTAZZN |
| (29) | N | 0 | O | 0 | N | 7 | 9 | 6 | 6 | 7 | HYZCZN |
| (30) | O | 0 | N | 0 | N | 0 | -3 | 7 | 7 | 10 | NZBAAE10 |
| (31) | O | 0 | N | 0 | O | 4 | 4 | 4 | 5 | 5 | PYZNDT |
| (32) | N | N | Cl | Cl | N | 17 | 8 | -2 | -4 | 24 | TPYZNC01 |
| (33) | N | N | I | N | N | 12 | 16 | -5 | 13 | 20 | ZNETAM10 |

* A full list of references has been deposited with the British Library Lending Division as Supplementary Publication No. SUP 39439 (4pp.). Copies may be obtained through The Executive Secretary, International Union of Crystallography, 5 Abbey Square, Chester CHI 2HU, England.
dihedral angles ( $\delta_{i j}$ ) were defined as the angles between the normals to the planes sharing a common edge ( $i j$ ) in the idealized polyhedra as shown in Fig. 4. There are nine edges and hence nine dihedral-angle changes involved. The largest change is in $\delta_{24}$, from $53.1^{\circ}$ in a t.b.p. to $0^{\circ}$ in an s.p. as listed in Table 3.


## Correlations and reaction pathways

## Berry pseudorotation

The sum, over all edges, of the changes in dihedral angles accompanying the t.b.p. $\rightarrow$ s.p. transition is $\sum_{i j}|\Delta|_{i j}=\sum_{i j} \mid \delta_{i j}$ (t.b.p.) $-\delta_{i j}$ (s.p. $) \mid=217 \cdot 9^{\circ}$. If a compound $C$ lies on the Berry rearrangement coordinate between t.b.p. and s.p. then its dihedral angles, $\delta_{i j}(C)$, are related to those of the idealized structures such that the sum of $\sum_{i j} \mid \delta_{i j}(C)-\delta_{i j}($ t.b.p. $) \mid$ and $\sum_{i j} \mid \delta_{i j}(C)-$


Fig. 2. Definition of molecular geometry, showing distance increments $d$ and bond angles $\theta$.
$\delta_{i j}$ (s.p.) is $217.9^{\circ}$. Table 4 lists the dihedral angles $\delta_{i j}$.
Fig. 5 shows a plot of $217.9^{\circ}-\sum_{i j} \mid \delta_{i j}(C)-$ $\delta_{i j}($ s.p. $) \mid$ vs $\sum_{i j} \mid \delta_{i j}(C)-\delta_{i j}($ t.b.p. $) \mid$, the Berry coordinate shown as the straight line of unit slope going

Table 2. Interatomic angles ( ${ }^{\circ}$ )

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Table 3. Bond angles $\theta\left({ }^{\circ}\right)$ and corresponding dihedral angles $\delta\left({ }^{\circ}\right)$ for the idealized t.b.p. and s.p. conformations

|  | $\theta_{15}$ | $\theta_{12}$ | $\theta_{13}$ | $\theta_{14}$ | $\theta_{52}$ | $\theta_{53}$ | $\theta_{54}$ | $\theta_{23}$ | $\theta_{24}$ | $\theta_{34}$ | $\delta_{45}$ | $\delta_{25}$ | $\delta_{14}$ | $\delta_{12}$ | $\delta_{35}$ | $\delta_{13}$ | $\delta_{23}$ | $\delta_{34}$ | $\delta_{24}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| t.b.p. | 180 | 90 | 90 | 90 | 90 | 90 | 90 | 120 | 120 | 120 | $101 \cdot 5$ | 101.5 | 101.5 | 101.5 | 101.5 | 101.5 | $53 \cdot 1$ | 53.1 | 53.1 |
| s.p. | 150 | 86 | 105 | 86 | 86 | 105 | 86 | 105 | 150 | 105 | 118.5 | 118.5 | 118.5 | 118.5 | 76.9 | 76.9 | 76.9 | 76.9 | 0 |
| $\|\Delta\|_{i j}$ | 30 | 4 | 15 | 4 | 4 | 15 | 4 | 15 | 30 | 15 | 17 | 17 | 17 | 17 | 24.6 | $24 \cdot 6$ | 23.8 | 23.8 | $53 \cdot 1$ |
| $\sum_{i j}\|\Delta\|_{i j}$ |  |  |  |  |  | 136 |  |  |  |  |  |  |  |  |  |  |  |  |  |

through the origin. The scatter of the points from the coordinate may indicate the distortion of the compound geometries from the minimum-energy path associated with the Berry mechanism. We recognize, however, that whereas the geometry of the t.b.p. and its associated dihedral angles are fixed, this is not the case for the s.p. The values of the s.p. dihedral angles are dependent on the apical-basal angle chosen and the scatter of the points in Fig. 5 will also depend on this.

The Berry (1960) pseudorotation exchange mechanism is represented pictorially in Fig. 3. It involves the interconversion of two trigonalbipyramidal structures via a square-pyramidal intermediate. Another mechanism proposed for such an intramolecular exchange reaction is the turnstile coordinate (Ugi, Marquarding, Klusacek, Gillespie \& Ramirez, 1971). Two independent ab initio examinations, one on the model compound $\mathrm{PH}_{5}$ (Altmann, Yates \& Csizmadia, 1976), and the other on $\mathrm{PF}_{5}$ (Russegger \& Brickman, 1975), have shown, however, that the latter mechanism requires a considerably higher activation energy and is not a strictly different mechanistic pathway, but can be regarded as a distortion of the pentacoordinate moiety away from the minimum-energy path of the Berry process. Both studies conclude that a turnstile representation will only be realized for structurally restricted systems and the true saddle point in the interconversion of the two trigonal bipyramids corresponds to the square-pyramidal intermediate with $C_{4 v}$ symmetry.


Fig. 3. Berry pseudorotation mechanism.


Fig. 4. Dihedral angles and edges in idealized t.b.p. and s.p. structures.

We surmise that the distortions away from the Berry coordinate, as shown by some points in Fig. 5, are possibly towards a 'turnstile' coordinate, and that these are brought about by a combination of structural restrictions imposed by the ligands.
The potential-energy hypersurface for a pentacoordinate system [ $M$ (unidentate) $)_{5}$ ] has been calculated (Favas \& Kepert, 1980). This maps the reaction coordinate for the interconversions between a trigonal bipyramid $T_{0}$ and two other trigonal bipyramids $T_{1}$ and $T_{2}$ via square-pyramidal intermediates $S_{1}$ and $S_{2}$. These conformations are shown in Fig. 6.
In their study Favas \& Kepert define an axis in each of the structures $T_{0}, T_{1}, T_{2}, S_{1}$ and $S_{2}$ such that


Fig. 5. Scatterplot showing smooth transition from t.b.p. to s.p. conformations, with the Berry coordinate shown as the straight line.





Fig. 6. Scheme for conformational changes in [ $M$ (unidentate) ${ }_{s}$ ] systems. Adapted from Favas \& Kepert (1980).
the angles $\varphi_{A}, \varphi_{B}$ and $\varphi_{C}$ between this axis and the bonds to each of the atoms $A, B$ and $C$ are all equal. $\varphi_{D}$ and $\varphi_{E}$ are then the angles found between the axis and the bonds to $D$ and $E$ respectively.

For the purposes of comparison we regarded the ligands as identical and unidentate, thus reducing the 34 different arrangements to the common system $\mathrm{Zn}(D)_{5}$. Noting that the angles $\varphi_{D}$ and $\varphi_{E}$ are defined within the plane $B D E$, we chose to project the reaction coordinate derived from the crystal structures on to that plane, by plotting $\theta_{B D}$ against $\theta_{B E}$. By superimposing our choice of ligand numbering on the conformations $T_{0}, T_{1}$ and $T_{2}$, the parameters $\theta_{B E}$ and $\theta_{B D}$ were calculated and plotted on Fig. 7. The similarity between the features of the potential-energy surface obtained from the point-charge model and that plotted from the crystal structures is both striking and gratifying.

The foregoing discussion has shown the possibility of the five-coordinate Zn complex undergoing pseudorotation. Recalling that the t.b.p. conformation may represent the intermediate in the $S_{N} 2$ mechanism:
$D_{5}+L_{3} \mathrm{Zn} D_{1} \rightarrow\left\{D_{5} \ldots \mathrm{Zn} L_{3} \ldots D_{1}\right\} \rightarrow D_{5} \mathrm{Zn} L_{3}+D_{1}$,
where $L=D_{2}, D_{3}, D_{4}$, we wished to characterize this intermediate further.

The distortions which arise in the complexes as the entering nucleophile $D_{5}$ approaches the $\mathrm{Zn}^{2+}$ ion are tabulated in Table 4 and shown on Fig. 8.

The plot of $d_{5} v s \%$ distortion from t.b.p. to s.p. shows that for $d_{5}>30 \mathrm{pm}$ the conformation of the $D_{5} \ldots L_{3} \mathrm{Zn} D_{1}$ system is displaced approximately $57 \%$ towards s.p. Structure ( $21 a$ ) $\left(d_{5}=80 \mathrm{pm}, 20 \%\right)$ is distorted from the mean line of attack by the close presence of a sixth potential donor ligand. The geometry of this structure also lies furthest away from the Berry coordinate shown in Fig. 4.


Fig. 7. Superposition of experimentally found conformations on the potential-energy surface.

Table 4. Dihedral angles $\left({ }^{\circ}\right)$ found in the complexes and their $\%$ distortion t.b.p. $\rightarrow$ s.p.

|  | $\delta_{45}$ | $\boldsymbol{\delta}_{25}$ | $\boldsymbol{\delta}_{14}$ | $\delta_{12}$ | $\boldsymbol{\delta}_{35}$ | $\boldsymbol{\delta}_{13}$ | $\boldsymbol{\delta}_{23}$ | $\boldsymbol{\delta}_{34}$ | $\boldsymbol{\delta}_{24}$ | $\%$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| $(1)$ | 109 | 112 | 103 | 107 | 91 | 98 | 56 | 57 | 39 | 28 |
| $(2)$ | 106 | 112 | 98 | 103 | 89 | 77 | 50 | 65 | 38 | 37 |
| $(3)$ | 102 | 100 | 111 | 107 | 99 | 73 | 53 | 46 | 45 | 24 |
| $(4)$ | 107 | 109 | 106 | 108 | 89 | 90 | 53 | 82 | 25 | 56 |
| $(5)$ | 103 | 101 | 111 | 111 | 91 | 99 | 58 | 57 | 39 | 26 |
| $(6)$ | 102 | 108 | 103 | 106 | 100 | 99 | 51 | 58 | 43 | 14 |
| $(7)$ | 99 | 99 | 108 | 108 | 99 | 72 | 50 | 50 | 50 | 20 |
| $(8)$ | 115 | 112 | 106 | 118 | 89 | 86 | 58 | 64 | 19 | 56 |
| $(9)$ | 113 | 114 | 121 | 107 | 89 | 90 | 69 | 61 | 13 | 62 |
| $(10)$ | 100 | 108 | 107 | 104 | 98 | 98 | 56 | 55 | 41 | 19 |
| $(11)$ | 105 | 107 | 103 | 104 | 97 | 99 | 52 | 58 | 45 | 15 |
| $(12)$ | 119 | 106 | 114 | 119 | 85 | 88 | 64 | 58 | 15 | 61 |
| $(13)$ | 116 | 103 | 104 | 115 | 98 | 98 | 53 | 52 | 36 | 26 |
| $(14)$ | 111 | 99 | 111 | 110 | 90 | 97 | 66 | 55 | 43 | 32 |
| $(15)$ | 104 | 108 | 114 | 106 | 92 | 95 | 62 | 60 | 42 | 31 |
| $(16)$ | 111 | 114 | 121 | 109 | 89 | 89 | 65 | 60 | 15 | 59 |
| $(17)$ | 101 | 120 | 109 | 127 | 89 | 88 | 49 | 72 | 21 | 54 |
| $(18)$ | 114 | 111 | 121 | 103 | 88 | 84 | 69 | 54 | 17 | 57 |
| $(19)$ | 116 | 111 | 108 | 119 | 90 | 89 | 61 | 65 | 17 | 58 |
| $(20)$ | 105 | 103 | 102 | 110 | 93 | 100 | 54 | 59 | 43 | 18 |
| $(21 a)$ | 113 | 97 | 104 | 111 | 109 | 105 | 54 | 47 | 35 | 20 |
| $(21 b)$ | 111 | 114 | 118 | 106 | 84 | 82 | 63 | 57 | 14 | 61 |
| $(22)$ | 104 | 107 | 99 | 108 | 91 | 78 | 57 | 60 | 42 | 32 |
| $(23)$ | 100 | 102 | 105 | 108 | 80 | 76 | 49 | 54 | 49 | 28 |
| $(24)$ | 103 | 120 | 103 | 114 | 92 | 96 | 46 | 64 | 37 | 34 |
| $(25)$ | 119 | 111 | 111 | 119 | 88 | 88 | 59 | 59 | 14 | 61 |
| $(26)$ | 109 | 111 | 109 | 112 | 87 | 86 | 78 | 56 | 18 | 58 |
| $(27)$ | 115 | 117 | 121 | 114 | 69 | 89 | 82 | 56 | 13 | 74 |
| $(28)$ | 117 | 117 | 115 | 118 | 79 | 79 | 74 | 76 | 5 | 91 |
| $(29)$ | 119 | 115 | 125 | 115 | 81 | 76 | 76 | 71 | 4 | 90 |
| $(30)$ | 119 | 116 | 117 | 113 | 73 | 88 | 80 | 66 | 8 | 82 |
| $(31)$ | 119 | 122 | 116 | 119 | 75 | 78 | 75 | 78 | 0 | 98 |
| $(32)$ | 113 | 114 | 110 | 113 | 84 | 86 | 56 | 85 | 14 | 65 |
| $(33)$ | 110 | 111 | 110 | 113 | 82 | 87 | 73 | 81 | 8 | 74 |
|  |  |  |  |  |  |  |  |  |  |  |

From Fig. 8 we may classify the compounds into three broad types: (i) those intermediate between t.b.p. and s.p., for which $d_{5}>30 \mathrm{pm}$; (ii) those distorting towards s.p. and (iii) those distorting towards t.b.p. Groups (i) and (iii) were considered together and examined as previously described for five-coordinate Cd complexes (Bürgi, 1973).

## Substitution mechanism

The compounds were treated as distorted t.b.p.'s and we sought a correlation between the displacement


Fig. 8. Variation of distortion from t.b.p. to s.p. conformation versus distance of approaching nucleophile. The triangle corresponds to the conformation with $d_{5}=26 \mathrm{pm}$ and $\theta_{15}=163^{\circ}$, the average angle of nucleophilic attack.
$z$ (Table 5) of the $\mathrm{Zn}^{2+}$ ion from the equatorial plane defined by $D_{2}, D_{3}$ and $D_{4}$ and the proximity of the attacking nucleophile. Because there are large differences in atomic size of the various ligand atoms the compounds were grouped as ( $a$ ) those containing at least two second-row-element atoms in the equatorial plane, and (b) those with two or more third-row (or greater) elements as equatorial ligands. We note that, in general, the compounds of group (b) correspond to those of class (i), while those of group (a) are mostly represented in class (iii). We calculated the weighted average interatomic distances, Zn $D_{\text {equatorial }}$, for the two groups as 199 pm and 235 pm respectively, and obtained correlations by plotting $d_{1}$ and $d_{5}$ against $z$, as shown in Figs. $9(a)$ and $9(b)$. Following the method used by Bürgi (1973) in his analogous study of five-coordinate Cd complexes, we reflected the $d_{5}$ vs $z$ plot across the line $z=0$ (as shown in Fig. $9 b$ ) in order to treat $d_{1}$ and $d_{5}$ as a single function of $z$ so that $d_{1}=f(z)$ and $d_{5}=f(-z)$. The correlation figures show that as the nucleophile $D_{5}$ approaches the $\mathrm{Zn} L_{4}$ tetrahedron at the face opposite the leaving groups $D_{1}$, the latter draws away from the Zn and the resulting $\mathrm{Zn} L_{3}$ pyramid flattens. In the intermediate

$$
\left\{D_{5} \ldots \operatorname{Zn} L_{3} \ldots D_{1}\right\}
$$

$z=0, d_{1}$ and $d_{5}$ are equal and have values of 12 pm and 26 pm for groups ( $a$ ) and (b) respectively.

The data sets were fitted to the logarithmic curve

$$
d_{1}, d_{5}=f( \pm z)=a \log \left( \pm z+z_{\max }\right)+b
$$

where $z_{\text {max }}$ is the maximum out-of-plane displacement of the Zn atom from the plane $D_{2} D_{3} D_{4}$. This occurs when the attacking nucleophile $D_{5}$ is at an infinite distance from the $\mathrm{Zn} L_{4}$ tetrahedron. The maximum displacements are calculated as 66 pm for group $(a)$ and 79 pm for group (b).

Least-squares fit to the two data sets yielded:

$$
\begin{array}{ll}
\operatorname{group}(a) & d_{1}, d_{5}=106-52 \log ( \pm z+66)  \tag{1}\\
\operatorname{group}(b) & d_{1}, d_{5}=294-141 \log ( \pm z+79)
\end{array}
$$

These were transformed to:

$$
\begin{array}{ll}
\operatorname{group}(a) & d_{1}, d_{5}=-52 \log \{( \pm z+66) / 109\} \\
\operatorname{group}(b) & d_{1}, d_{5}=-141 \log \{( \pm z+79) / 121\} \tag{2}
\end{array}
$$

in order to make direct comparison with Pauling's (1947) formula $d=-C \log n$ which describes the variation of interatomic distance increments $d$ with bond number $n$. We thus obtain:

$$
\begin{array}{ll}
\operatorname{group}(a) & n_{1}, n_{5}=( \pm z+66) / 109 \\
\operatorname{group}(b) & n_{1}, n_{5}=( \pm z+79) / 121 \\
\operatorname{group}(a) & n_{1}+n_{5}=1 \cdot 2  \tag{4}\\
\operatorname{group}(b) & n_{1}+n_{5}=1 \cdot 3 .
\end{array}
$$

Therefore, the bond numbers vary linearly with $z$ and

Table 5. Out-of-plane displacements $z(\mathrm{pm})$ for t.b.p. and $x$ (pm) for s.p. structures

|  | $\boldsymbol{z}$ | $\boldsymbol{x}$ |  | $\boldsymbol{z}$ | $\boldsymbol{x}$ |  | $\boldsymbol{z}$ | $\boldsymbol{x}$ |
| ---: | ---: | ---: | :--- | ---: | :--- | ---: | ---: | ---: |
| $(1)$ | -1 | 41 | $(13)$ | 2 | 63 | $(24)$ | 5 | 35 |
| $(2)$ | 9 | 56 | $(14)$ | 8 | 32 | $(25)$ | 0 | 82 |
| $(3)$ | 39 | 50 | $(15)$ | 11 | 35 | $(26)$ | 11 | 72 |
| $(4)$ | 4 | 64 | $(16)$ | 27 | 69 | $(27)$ | 38 | 41 |
| $(5)$ | 32 | 57 | $(17)$ | 44 | 46 | $(28)$ | 3 | 54 |
| $(6)$ | 2 | 41 | $(18)$ | 31 | 78 | $(29)$ | 3 | 46 |
| $(7)$ | 27 | 52 | $(19)$ | 21 | 63 | $(301$ | 26 | 41 |
| $(8)$ | 25 | 68 | $(20)$ | 19 | 47 | $(311$ | 3 | 47 |
| $(9)$ | 23 | 69 | $(21 a)$ | 43 | 29 | $(32)$ | 1 | 56 |
| $(10)$ | 5 | 39 | $(216)$ | 49 | 95 | $(33)$ | 16 | 71 |
| $(11)$ | 4 | 40 | $(22)$ | 17 | 51 |  |  |  |
| $(12)$ | 35 | 63 | $(23)$ | 33 | 53 |  |  |  |

their sum is constant at approximately unity. This implies that, as substitution proceeds, the $D_{5}-\mathrm{Zn}$ bond is created at the expense of the $\mathrm{Zn}-D_{1}$ bond. The fact that $n_{1}+n_{5}>1$ may indicate $d$-orbital contribution to axial bonding.

We failed to find any structural correlation for the square-pyramidally distorted structures. We sought a sequential change of the displacement $x$ of the Zn atom out of the basal plane $D_{1} D_{2} D_{4} D_{5}$ with $d_{5}$ (Table 5) but found no convincing relation. Possibly the s.p. branch of the reaction coordinate mapped in Fig. 8 represents a cul-de-sac of the reaction pathway into which the compounds have been forced by intramolecular steric requirements or crystal packing forces or both.

The correlation between the axial distance increments $d_{1}$ and $d_{5}$ is shown in Fig. 10 for the compounds of group (b). The data were fitted to Pauling's equation $d=-C \log n$ where $C$ is an empirical constant. Holding the sum of the bond orders $n_{1}$ and $n_{5}$ to the values obtained in equation (4) we obtain

$$
\begin{equation*}
10^{-d_{1} / C}+10^{-d_{5} / C}=1 \cdot 2 ; 1 \cdot 3 \tag{5}
\end{equation*}
$$

which yields $C$ values of 57 and 146 for groups ( $a$ ) and (b) respectively.


Fig. 9. ( $a$ ), ( $b$ ) Plot of displacement $z$ of zinc from the equatorial plane versus distance increments $d_{1}$ and $d_{5}$ for groups $(a)$ and (b) respectively as explained in the text.

Fig. 10 mirrors similar relationships found in other triatomic linear systems, both in the crystalline state (Bürgi, 1975) and in hypothetical systems such as the addition of an H atom to a hydrogen molecule $\mathrm{H}_{2}$ to yield the linear system [H...H... H] (Liu, 1973).

In our model of the reaction,

$$
D_{5}+L_{3} \mathrm{Zn} D_{1} \rightarrow\left\{D_{5} \ldots \mathrm{Zn} L_{3} \ldots D_{1}\right\} \rightarrow D_{5} \mathrm{Zn} L_{3}+D_{1}
$$

the intermediate is assumed to be that structure for which $d_{1}=d_{5}$. The values of $C$ were used to calculate $d_{1}$ and $d_{5}$ for $n_{1,5}=0.6 ; 0.65$ yielding distance increments of 13 pm for group (a) and 27 pm for group (b). These values are in close agreement with those obtained by putting $z=0$ in equations (1).

The above discussion has focused on modelling the dynamics of the system. We have also considered the directional preferences of nucleophilic attack on the $\mathrm{Zn}^{2+}$ ion. Fig. 11 shows two possible approaches of the nucleophile to tetrahedral Zn . For an ideal 'face' approach, $F$, the nucleophile- Zn -ligand angles are $180^{\circ}$ for $\theta_{15}$ and $70 \cdot 5^{\circ}$ for $\theta_{52}, \theta_{53}$ and $\theta_{54}$; while an edge approach, $E$, gives rise to two pairs of angles of $125 \cdot 3$ and $54 \cdot 7^{\circ}$. A scatterplot of the angles subtended between $D_{5}$ and the $\operatorname{Zn}(D)_{4}$ tetrahedra is shown in Fig. 12. This shows that the approach cannot be classified as either $F$ or $E$, but as somewhere between. This is in agreement with the result obtained from Fig. 8, which shows that the conformations at the early stage of reaction ( $d_{5}>30 \mathrm{pm}$ ) are displaced approximately $57 \%$ towards s.p. Examination of Table 2 shows that, on average, the nucleophilic attack is inclined away from $D_{3}\left(\left\langle\theta_{53}\right\rangle=92 \cdot 9,\left\langle\theta_{52}\right\rangle=\right.$ $\left.83 \cdot 6,\left\langle\theta_{54}\right\rangle=81 \cdot 7^{\circ}\right)$. We note that $D_{3}$ acts as pivot for


Fig. 10. Correlation between axial distance increments $d_{1}$ and $d_{5}$.


Fig. 11. Geometry of nucleophilic attack showing face approach $F$, and edge approach $E$.
the Berry pseudorotation but this could be simply due to the nomenclature we employed.

## Experimental observations

The correlations derived are consistent with a substitution reaction at tetrahedral Zn via an $S_{N} 2$ mechanism, and a possible Berry pseudorotation of the five-coordinate intermediate.

Experimental evidence which supports this is comparatively recent (Barefield \& Wagner, 1973; Lindoy \& Busch, 1974; Dei, 1975; Neves \& Dabrowiak, 1976). For the reaction of $\operatorname{bis}(\mu-N, N$-dibutyldithiocarbamato)zinc(II) with iodine in cyclohexane, the pentacoordinate intermediate shown in Fig. 13 has been proposed (Kita, Tanaka \& Tanaka, 1977). Bis( $O$-ethyl xanthato) pyridinezinc(II), which has been used in this study (complex 25), has been proposed as lying along the reaction coordinate of the reaction

$$
\mathrm{Zn}(\text { exa })_{2}+L \rightleftarrows \mathrm{Zn}(\text { exa })_{2} L
$$

where exa $=O$-ethyl xanthato $(=O$-ethyl dithiocarbamato), $L=\mathrm{py}, \mathrm{EtOH},\left(\mathrm{CH}_{3}\right)_{2} \mathrm{CO}, \mathrm{Me}_{2} \mathrm{SO}$.


Fig. 12. Scatterplot showing angle of nucleophilic attack versus distance increment of nucleophile. Filled circles represent $d_{5} v s$ $\theta_{15}$, open circles $d_{5}$ vs $\theta_{52}, \theta_{53}$ and $\theta_{54}$.


Fig. 13. Proposed intermediate for reaction of $\operatorname{bis}(\mu-N, N$-dibutyldithiocarbamato)zinc(II) with iodine.

Pentacoordinated intermediates have also been proposed for a number of biochemical reactions. In the enzyme-catalysed reversible hydration of carbon dioxide by carbonic anhydrase, the intermediate shown in Fig. 14 has been suggested (Gupta \& Pesando, 1975; Kannan, Pelef, Fridborg, CidDresner \& Löugren, 1977). A pentacoordinate intermediate has also been proposed in the catalytic cycle involving alcohol dehydrogenase and nicotinamide coenzyme (Dworschach \& Plapp, 1977), while a general examination of the active-site geometries of Zn enzymes has been undertaken (Argos, Garavito, Eventoff, Rossmann \& Branden, 1978). In all cases the metal ion is bonded by three protein ligands and water in a distorted tetrahedral arrangement, and it is suggested that the substrate may bind at a fifth coordination site.

The labile nature of Zn -thiourea complexes in solution has been examined (Eaton \& Zaw, 1976) and the ligand exchange has been found to occur via an associative mechanism. Such a bimolecular ligandexchange mechanism has also been proposed for thiocumatozinc(II) derivatives (Fackler \& Fetchin, 1970). One of the proposals advanced to explain the acetate scrambling process in the meso-2,3tetramethylenediaminetetraacetic acid complex with zinc(II) involves a pentacoordinate intermediate of either t.b.p. or s.p. conformation (Mirti, Gennaro \& Vallinotto, 1982). The addition of sulphur to dithiobenzoato complexes of zinc(II) has been studied, with the conclusion that the mechanism of the reaction involves addition of an S atom and a subsequent rearrangement of the ligands about the Zn (Fackler, Fetchin \& Fries, 1972). Interestingly, there is also a report of a fluxional pentacoordinate Zn complex (Alcock, Herron \& Moore, 1978). $\mathrm{A}^{13} \mathrm{C}$ NMR investigation has been carried out on the com-


Fig. 14. Proposed intermediate for hydration of $\mathrm{CO}_{2}$ by carbonic anhydrase.


Fig. 15. Berry mechanism for ligand exchange in compound (28). Adapted from Alcock, Herron \& Moore (1978).
plex $[\mathrm{Zn} X L]^{+}$in nitromethane ( $X=$ halide, $\mathrm{NCS}^{-}$or $\mathrm{ClO}_{4}^{-} ; L$ is a quadridentate methyl-substituted tetraazacyclotetradecane ligand). A dynamic process which possibly involves the interconversion of axial and equatorial $N$-methyls, via a Berry mechanism, is indicated as shown in Fig. 15. This complex was used in our study, compound (28).

While the structural-correlation principle can only yield indirect information of the reaction path and the transition state, it is gratifying that in the case of reactions of zinc(II), solution and solid-state data are compatible.

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# Relation between Bonding and the Substitution-Dependent Geometry of a Number of Dicobalt Hexacarbonyl Acetylene Complexes 

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#### Abstract

The molecular structures of five dicobalt hexacarbonyl acetylene complexes, $\mathrm{Co}_{2}(\mathrm{CO})_{6}(R-\mathrm{C} \equiv \mathrm{C}-R)$, are analyzed in terms of variation in their geometry as a function of increasing electronegativity of the substituent $R$. The crystal structures of three of the five complexes with $R=\mathrm{COOH}, \mathrm{CH}_{2} \mathrm{OH}$ and $\mathrm{CF}_{3}$ have been determined for the first time and are reported. Crystal data are as follows: $R=\mathrm{COOH}$ : $\left[\mathrm{Co}_{2}(\mathrm{CO})_{6}\left(\mathrm{C}_{4} \mathrm{H}_{2} \mathrm{O}_{4}\right)\right], \quad M_{r}=400 \cdot 0, \quad P 2_{1} 2_{1} 2_{1}, \quad a=$ $7 \cdot 059(2), b=11 \cdot 107(3), c=17 \cdot 516(5) \AA, Z=4, V=$ $1373.3 \AA^{3}, \quad D_{m}=1.80-2 \cdot 00, \quad D_{x}=1.93 \mathrm{~g} \mathrm{~cm}^{-3}$, Mo $K \bar{\alpha}, \quad \lambda=0.7107 \AA, \quad T=293(2) \mathrm{K} ; \quad R=\mathrm{CH}_{2} \mathrm{OH}$ (monohydrate): $\quad\left[\mathrm{Co}_{2}(\mathrm{CO})_{6}\left(\mathrm{C}_{4} \mathrm{H}_{6} \mathrm{O}_{2}\right)\right] \cdot \mathrm{H}_{2} \mathrm{O}, \quad M_{r}=$ $390 \cdot 0, \quad P 2_{\mathrm{I}} / c, \quad a=7.974(3), \quad b=12.591(5), \quad c=$ 14.551 (6) $\AA, \beta=104.31(5)^{\circ}, Z=4, V=1415 \cdot 6 \AA^{3}$, $D_{m}=1 \cdot 80-2 \cdot 00, \quad D_{x}=1.83 \mathrm{~g} \mathrm{~cm}^{-3}, \quad$ Мо $K \bar{\alpha}, \quad T=$ 293 (2) K; $R=\mathrm{CF}_{3}:\left[\mathrm{Co}_{2}(\mathrm{CO})_{6}\left(\mathrm{C}_{4} \mathrm{~F}_{6}\right)\right], \quad M_{r}=448 \cdot 0$, $P 2_{1} / c, a=7 \cdot 538$ (3), $b=30.804$ (9), $c=12.681$ (6) $\AA$, $\beta=100.49(4)^{\circ}, \quad Z=8, \quad V=2895.4 \AA^{3}, \quad D_{m}=$ $1 \cdot 95-2 \cdot 10, \quad D_{x}=2.05 \mathrm{~g} \mathrm{~cm}^{-3}, \quad$ Mo $K \bar{\alpha}, \quad T=$ $100(0 \cdot 5) \mathrm{K}$. Final $R(F)$ factors are $2 \cdot 8,4 \cdot 8$ and $5 \cdot 2 \%$ respectively. The two other complexes discussed here with $R=\mathrm{Ph}$ and $R=\mathrm{C}\left(\mathrm{CH}_{3}\right)_{3}$ have been reported recently by Gregson \& Howard [Acta Cryst. (1983), C39, 1024-1027]. The metal-acetylenic ligand distances decrease with increasing electronegativity of $R$, while the acetylenic $\mathrm{C}-\mathrm{C}$ distance increases, indicating the strengthening of the $\mathrm{Co}-\mathrm{C}_{\mathrm{ac}}$ bonds to be due to increased back donation. The effect is attributed to a stabilization of the ligand $a_{2}$ and $b_{\mathrm{I}}$ orbitals by the electronegative substituents. Various correlations between geometric distortion parameters are discussed.


## Introduction

There is considerable interest in the study of polynuclear complexes because of their relevance as model compounds for metal-catalyzed reactions such as hydrogenation and carbonylation. As the attachment of a single molecule to more than one metal atom is related to the bonding of an organic substrate to a metal surface, the detailed study of such model compounds is of importance. Complexes of the type studied here may also be regarded simply as possible intermediates in homogeneous catalytic reactions.

The present study is part of a series of investigations on the effect of metal-ligand bonding on ligand geometry and ligand electron distribution. Studies on dicobalt octacarbonyl (Leung \& Coppens, 1983) and methylidynetricobalt nonacarbonyl (Leung, 1983) have been reported.

We report here on the geometry of three dicobalt hexacarbonyl acetylenes with general formula $\mathrm{Co}_{2}(\mathrm{CO})_{6}(R-\mathrm{C} \equiv \mathrm{C}-R)$ and their comparison with two complexes of this type determined by Gregson \& Howard (1983). The choice of the radical $R$ was guided by two considerations. A range of electronegativities was desired to enable the detection of substitution-related trends in geometry and electron distribution. In addition we have avoided H atoms as much as possible to eliminate the need for neutron diffraction data in the electron density studies.

## Experimental

## Synthesis

All manipulations were performed in a dry nitrogen gas atmosphere.


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